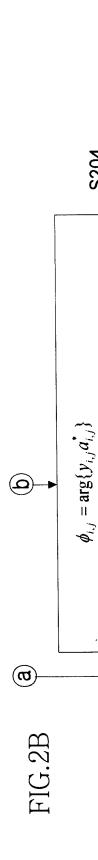


FIG.2A



<u>(ပ</u>

 $\phi_{i,j}$  : Phase offset estimate of pilot located on subchannel of index j

 $\phi'_{i,j} = \arg\{y_{i,j}\hat{x}_{i,j}^*\}$ 

 $\phi_{i,j}$ . Phase offset estimate of data located on subchannel of index j

 $e_{i} = \frac{\int \left\{piloi - index\right\}}{\sum W_{j} \phi_{i,j}} + \sum_{j \in \left\{daia - index\right\}} W_{j} \phi_{i,j}}$   $e_{j} = \frac{\int \left\{piloi - index\right\}}{\sum W_{j}} + \sum_{j \in \left\{daia - index\right\}} W_{j}$ 

e<sub>i</sub>: Phase offset estimate caused by carrier frequency offset in i-th OFDM symbol

 $w_j = \max\{|\operatorname{Re}(\hat{H}_j)|, |\operatorname{Im}(\hat{H}_j)|\} + 0.5 \times \min |\operatorname{Re}(\hat{H}_j)|, |\operatorname{Im}(\hat{H}_j)|\}$  $N_p$ : Number of subchannels on which pliot is located

N<sub>d</sub>: Number of subchannels on which data is located S207

 $\hat{\theta}_{i+1} = 2\hat{\theta}_i - \hat{\theta}_{i-1} + (\mu_p + \mu_I)e_i - \mu_p e_{i-1}$ 

 $\hat{oldsymbol{ heta}}_i$  : Estimate for compensation of phase offset

in i-th OFDM symbol

 $e_i' = \frac{\int e_i \operatorname{pilor}_{index}}{\sum (w_j + w_{-j}) \cdot j \cdot \phi_{i,j}} + \sum_{j \in \{data = ndex\}} (w_j + w_{-j}) \cdot j \cdot \phi_{i,j}'} \\ = \frac{\int e_i \operatorname{pilor}_{index}}{\sum (w_j + w_{-j}) \cdot j^2} + \sum_{j \in \{data = ndex\}} (w_j + w_{-j}) \cdot j^2} \\ = \int_{j \in \{pilor = ndex\}} (w_j + w_{-j}) \cdot j^2 + \sum_{j \in \{data = ndex\}} (w_j + w_{-j}) \cdot j^2} \\ = \int_{i} \operatorname{Gradient}_{index}_{ind$ 

 $\hat{\alpha}_{i+1} = 2\hat{\alpha}_i - \hat{\alpha}_{i-1} + (\gamma_p + \gamma_l)e_i' - \gamma_p e_{i-1}'$ 

× S208

e/: Gradient estimate of offset for compensation of phase offset in i-th OFDM symbol

Delay by a single symbol interval

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